Event-by-Event Average p_T Fluctuations in s_{NN}=200 GeV Au+Au and p+p Collisions in PHENIX: Measurements and Jet Contribution Simulations

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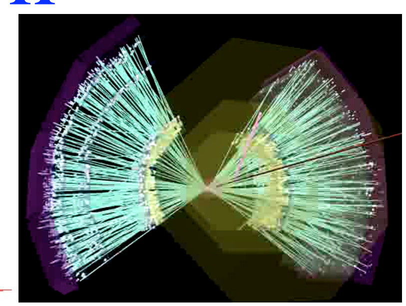
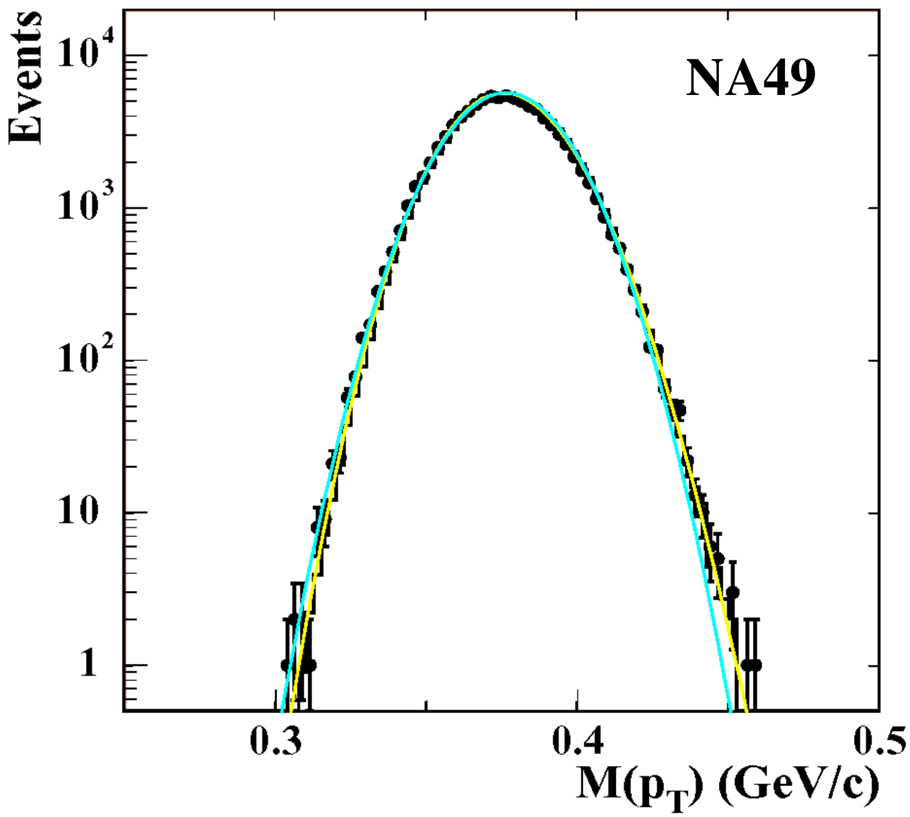


The Event by Event Average p_T (Mp_T) Distribution is not a gaussian, it's a gamma distribution!

- DEFINITION $M_{p_T} = \overline{p_{T(n)}} = \frac{1}{n}\sum_{i=1}^{n} p_{T_i} = \frac{1}{n} E_{Tc}$ for events with n particles.

- For **statistically independent** emission (the sum of independent p_{Ti}) analytical formula



$$f(y) = \sum_{n=n_{min}}^{n_{max}} f_{NBD}(n, 1/k, \langle n \rangle)\, f_{\Gamma}(y, np, nb)$$

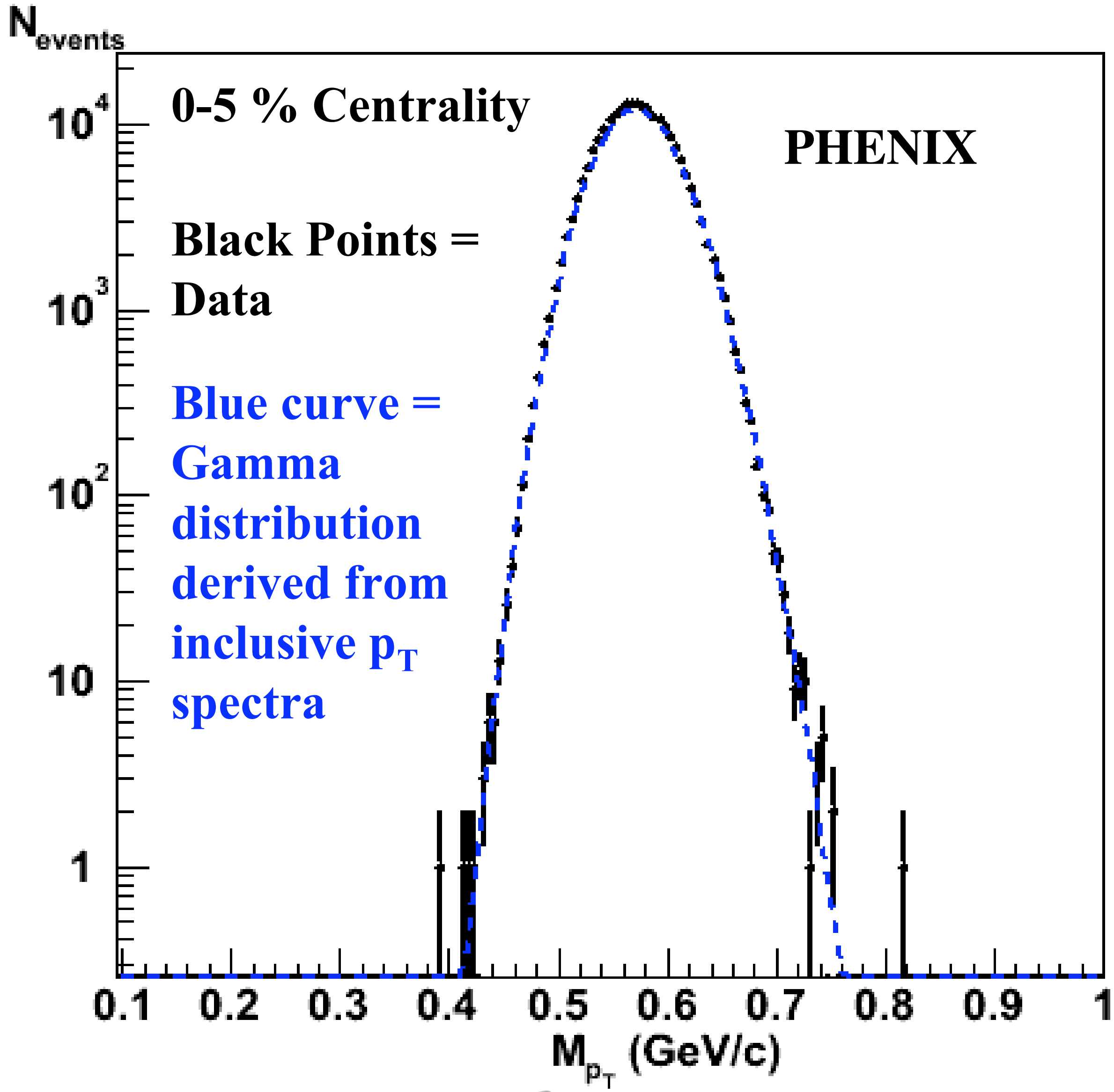
- Depends on the 4 semi-inclusive parameters
  - b, p of p_T distribution (Gamma),
  - <n>, 1/k of track multiplicity (NBD)

  derived from the quoted means and standard deviations of the semi-inclusive p_T and multiplicity distributions.
- The result is in excellent agreement with the NA49 Pb+Pb central measurement PLB **459**, 679 (1999)

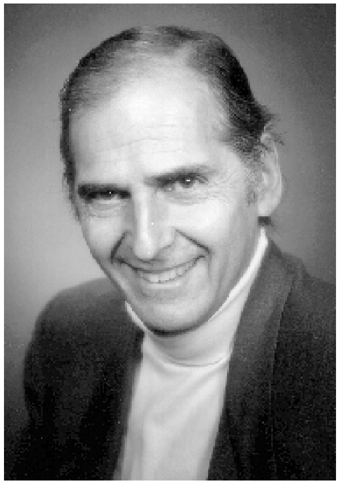
See M.J.Tannenbaum PLB **498**, 29 (2001)

From one of Jeff Mitchell's talks:

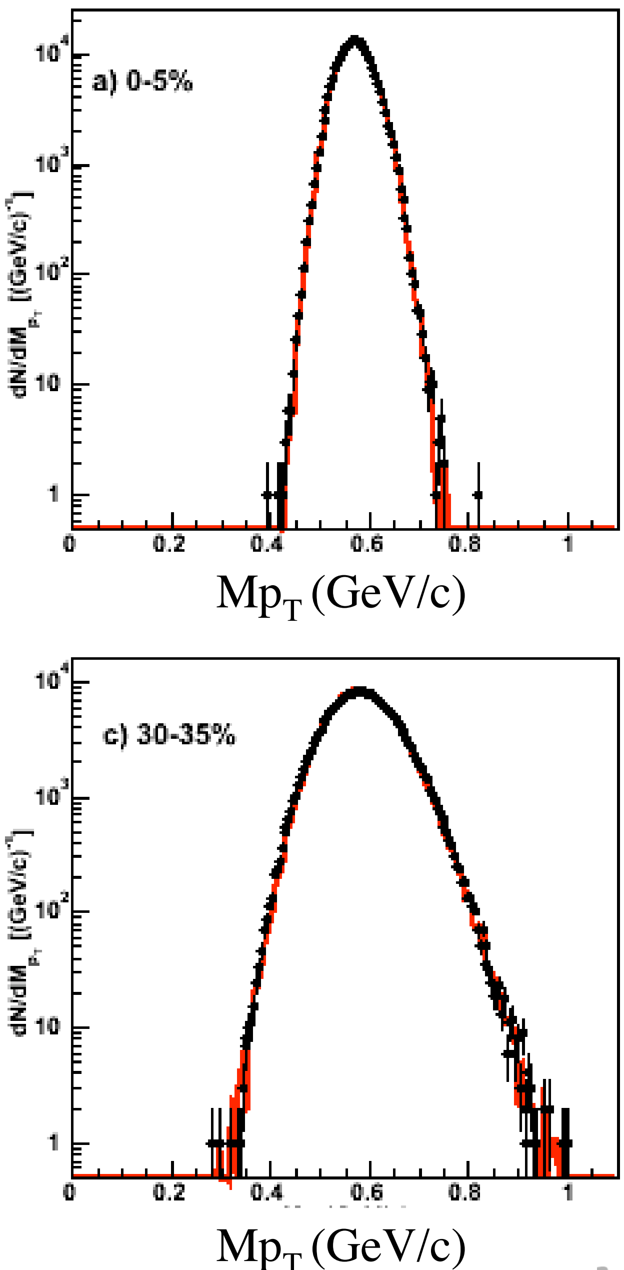
"Average p_T Fluctuations"



It's not a Gaussian…it's a Gamma distribution!



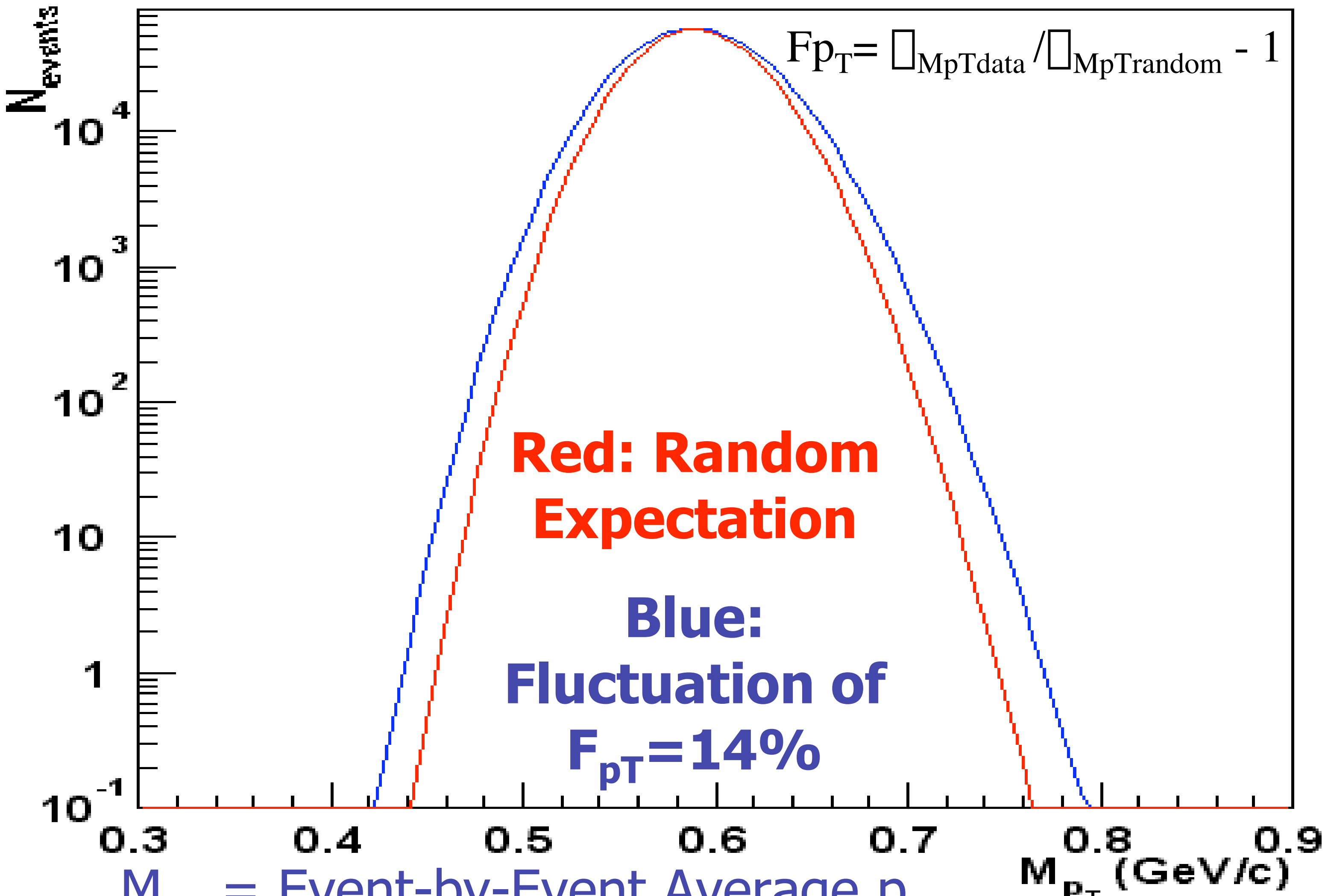
PHENIX Mp_T vs centrality 200 GeV Au+Au nucl-ex/0310005



- compare Data to Mixed events for random.
- Must use exactly the same n distribution for data and mixed events and match inclusive $\langle p_T \rangle$ to $\langle Mp_T \rangle$
- best fit of real to mixed is statistically unacceptable
- deviation expressed as:

$$Fp_T = \square_{Mp_T data} / \square_{Mp_T mixed} - 1 \sim \text{few \%}$$

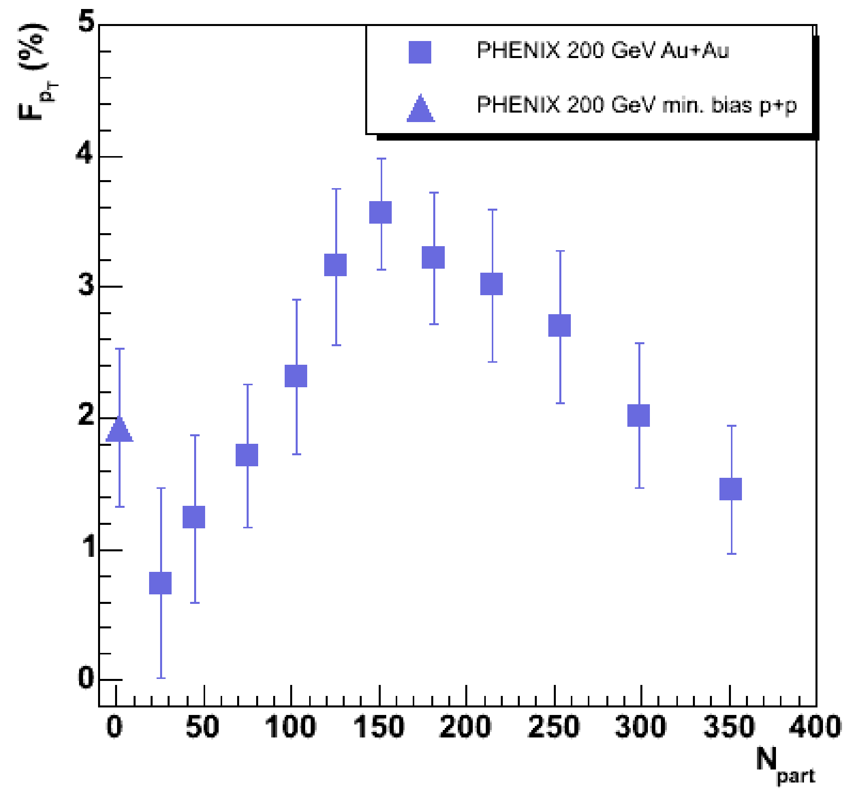
How To Measure a Fluctuation
$\langle Mp_T \rangle$ must stay the same only σ_{MpT} varies

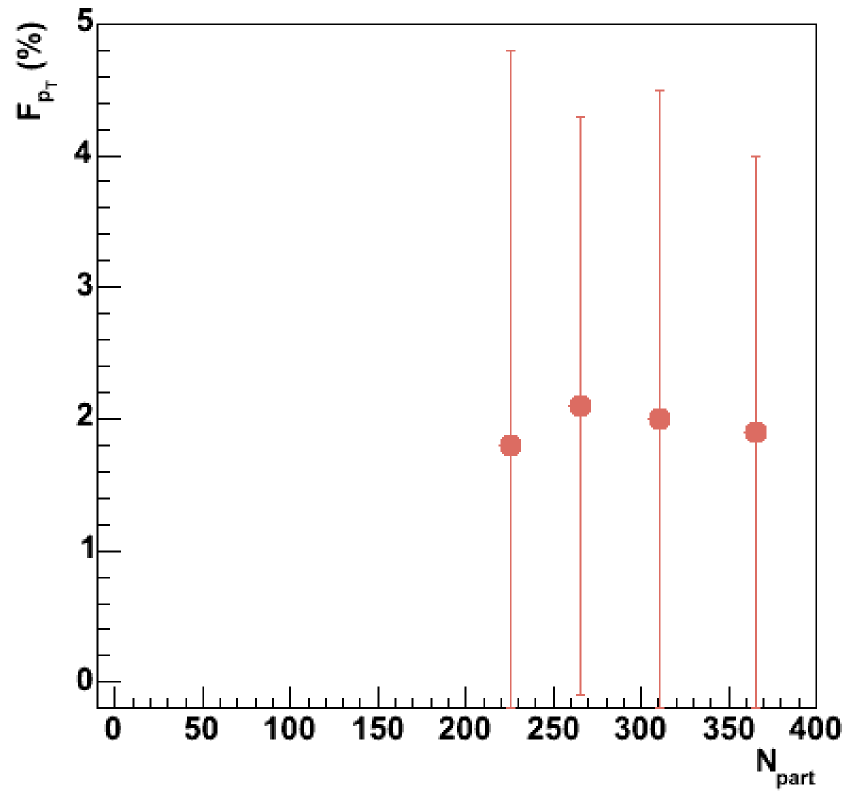


M_{pT} = Event-by-Event Average p_T

Large Improvement at s_{NN}= 200 GeV Compared to s_{NN}= 130 GeV results

nucl-ex/0310005 subm. PRL



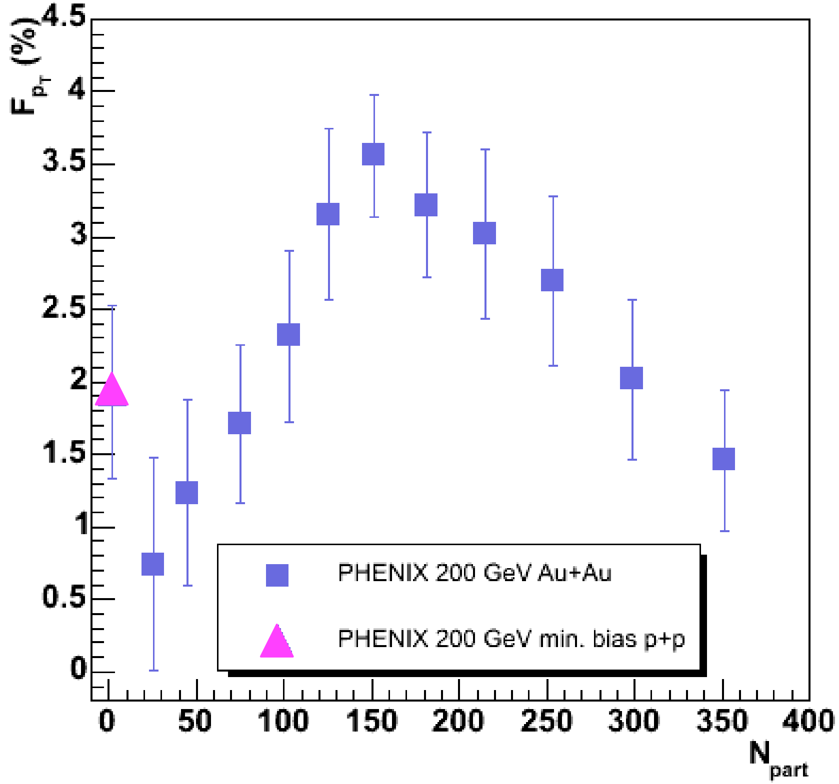


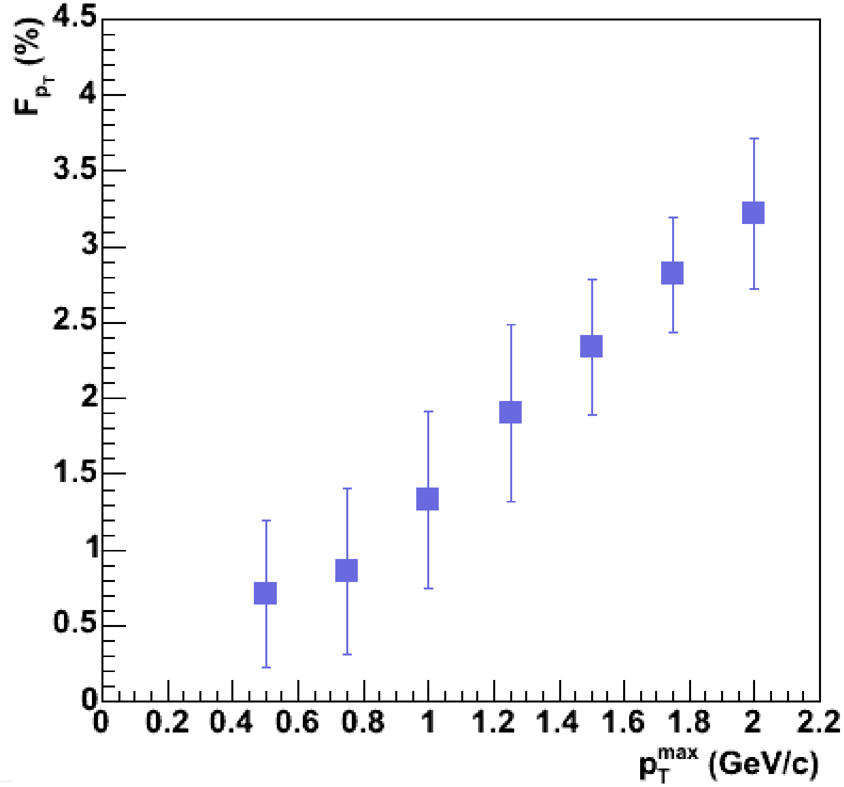
- 3 times larger solid angle
- better tracking
- more statistics

s_{NN}=130 GeV
PRC **66** 024901 (2002)

Fluctuation is a few percent of □$_{MpT}$: Interesting variation with N_{part} and p_{Tmax}

Errors are totally systematic from run-run r.m.s variations





n >3 $0.2 < p_T < 2.0$ GeV/c

0.2 GeV/c $< p_T < p_T^{max}$

PHENIX nucl-ex/0310005 subm. PRL

Simulate of Fluctuations:
I-Baseline Simulation

A **data-driven** simulation designed to simulate statistically independent particle production:

- Generate the number of particles in an event by sampling a Gaussian distribution fit to the data.

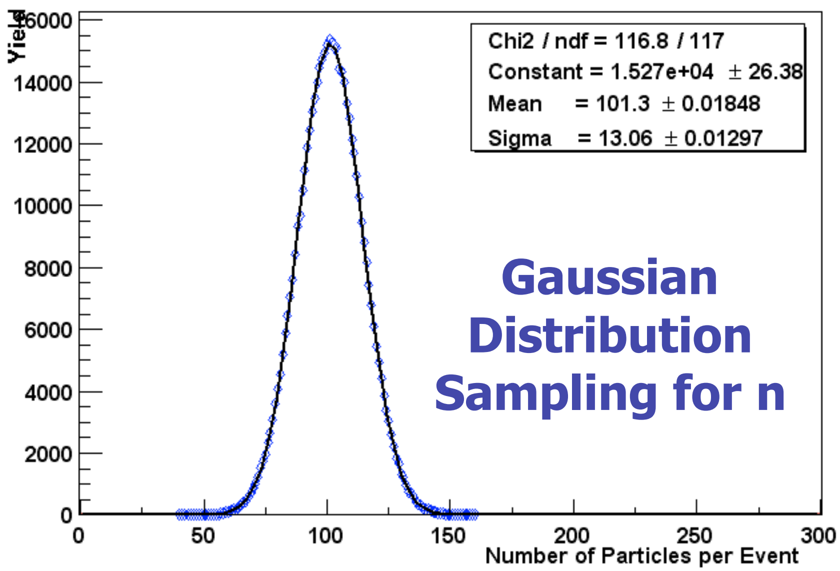
- Assign a p_T to each particle by sampling an m_T exponential distribution fit (or double exponential, or Gamma distribution) to the data inclusive p_T distribution.

- Calculates the event-by-event M_{pT} .

- Generates mixed events for calculation of fluctuation quantities.

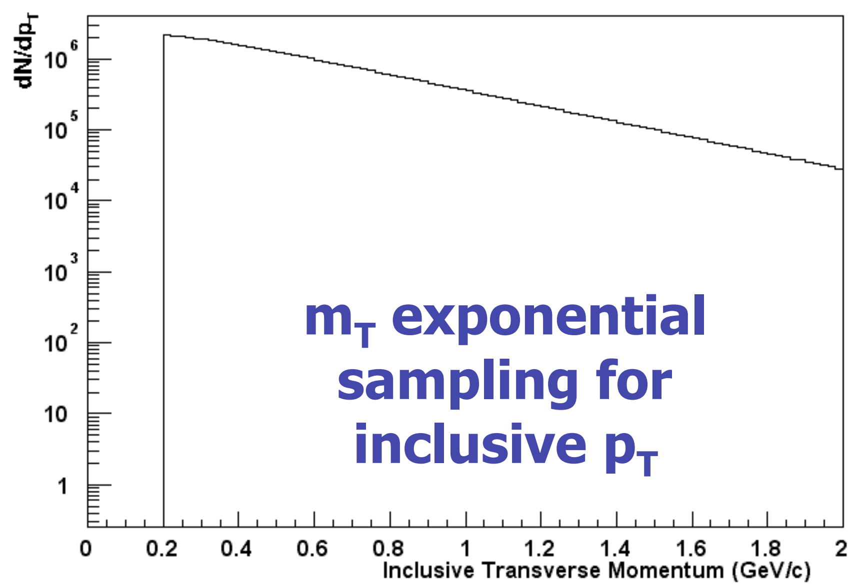
Input parameters include: $\langle n\rangle$, $\sigma_{\langle n\rangle}$, inclusive p_T function paramters, p_T range for $\langle p_T\rangle$ calculation.

Results from the Baseline Simulation with random p_T and n from measured distributions



Sample: Using a match to PHENIX 0-5% centrality data

Inclusive $\langle p_T \rangle$, σ_{pT}, $\langle n \rangle$, $\sigma_{\langle n \rangle}$ matched to the data for each centrality class.

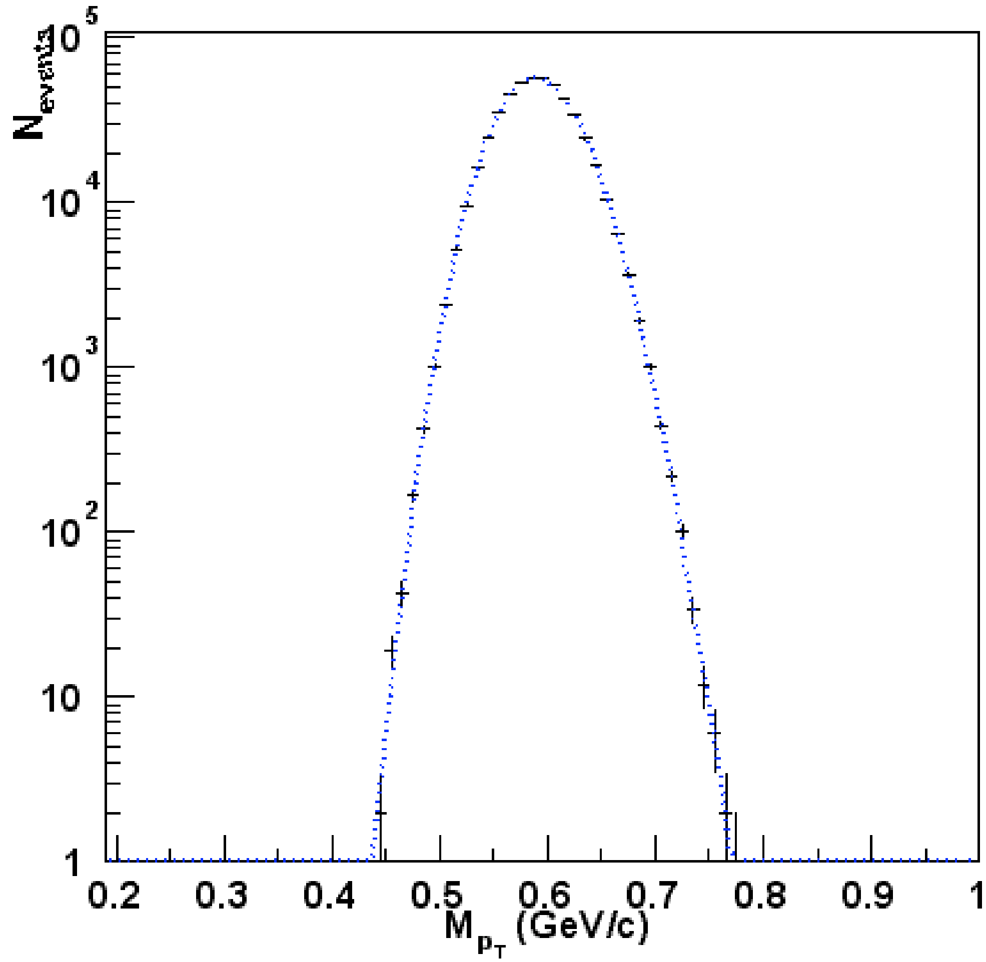


I-Results from the Baseline Simulation

Black points: Simulation Output

Blue curve: Gamma distribution calculation for statistically independent particle emission with input parameters taken from the inclusive spectra.

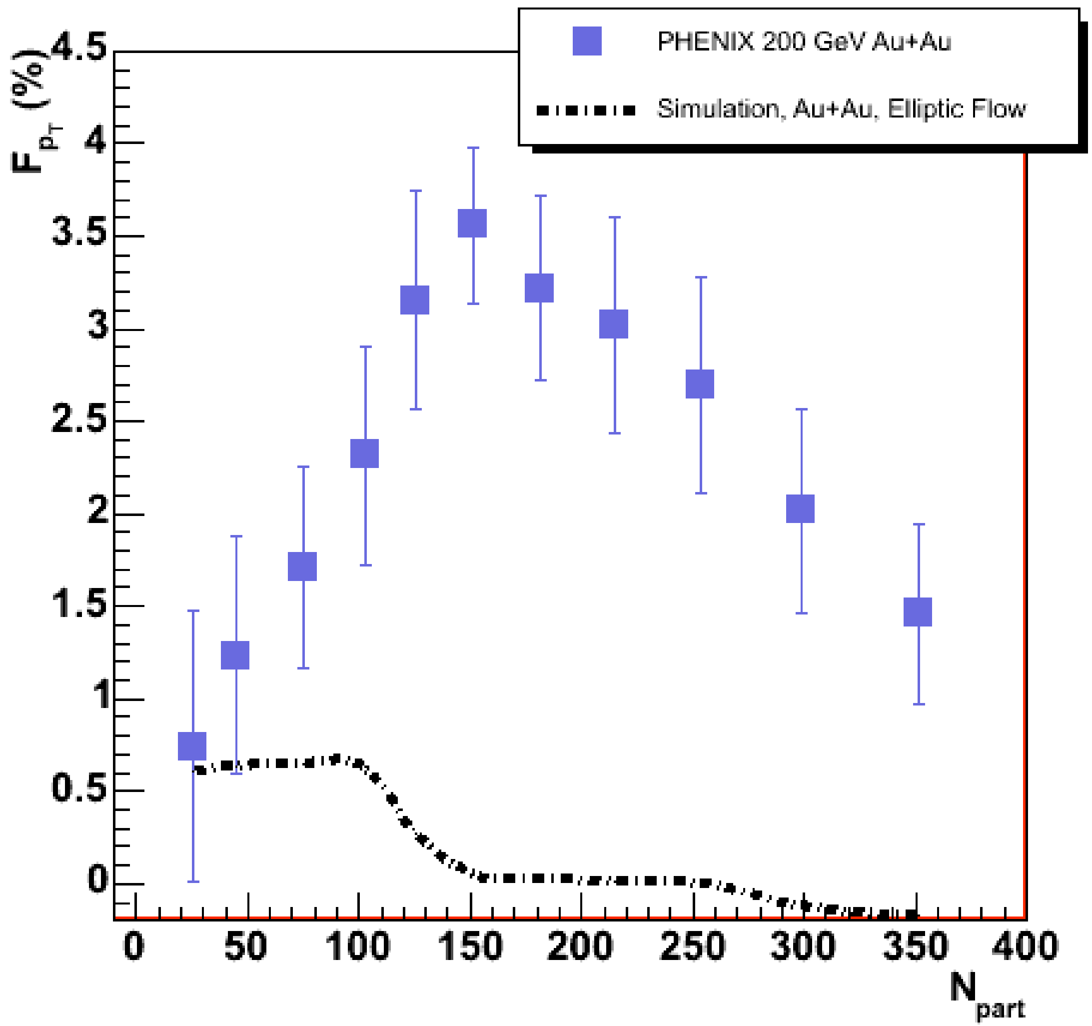
*My result (PLB**498**) is now a good check for statistical independence in the Monte Carlo or in the mixed events*



II-Elliptic Flow Contribution Simulation

Algorithm: Particles are assigned an azimuthal coordinate based upon the PHENIX measurement of v_2 (wrt the reaction plane) as a function of centrality and p_T. Only particles within the PHENIX acceptance are included in the calculation of M_{pT}.

With the exception of peripheral collisions, the elliptic flow contribution is a small fraction of the observed fluctuation.

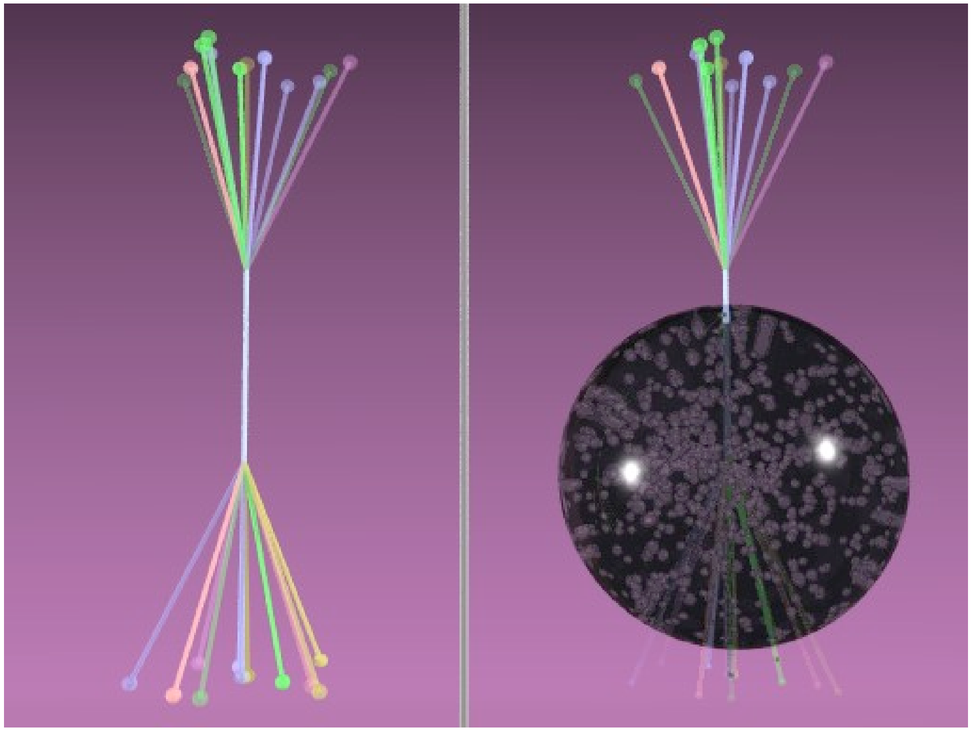


III-A Jet Contribution?

Jets are simulated using a hybrid algorithm which embeds Pythia hard scattering events into Mean Max baseline events.

A single varying parameter is defined: A hard scattering probability factor, S_{prob}, is randomly tested for each thrown particle. If the test is true, a single PYTHIA event is embedded into the baseline event after applying experimental acceptance criteria.

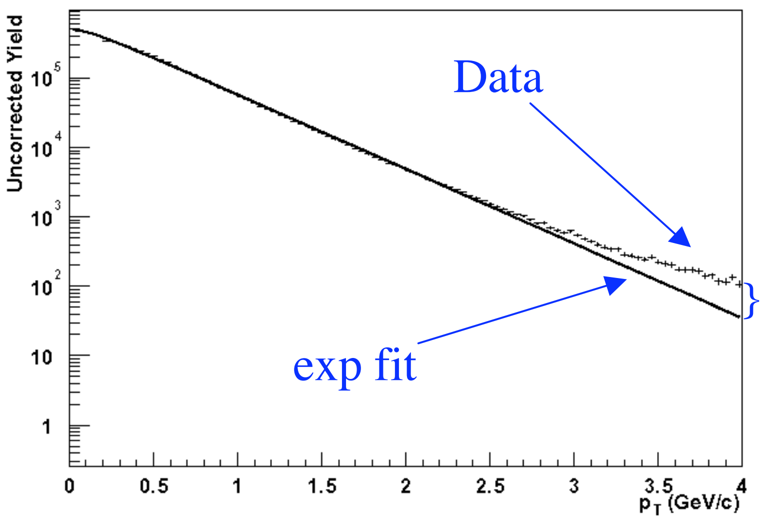
NOTE: The n distribution is preserved in this simulation. The inclusive <p_T> and □(p_T) are affected by less than 1%.



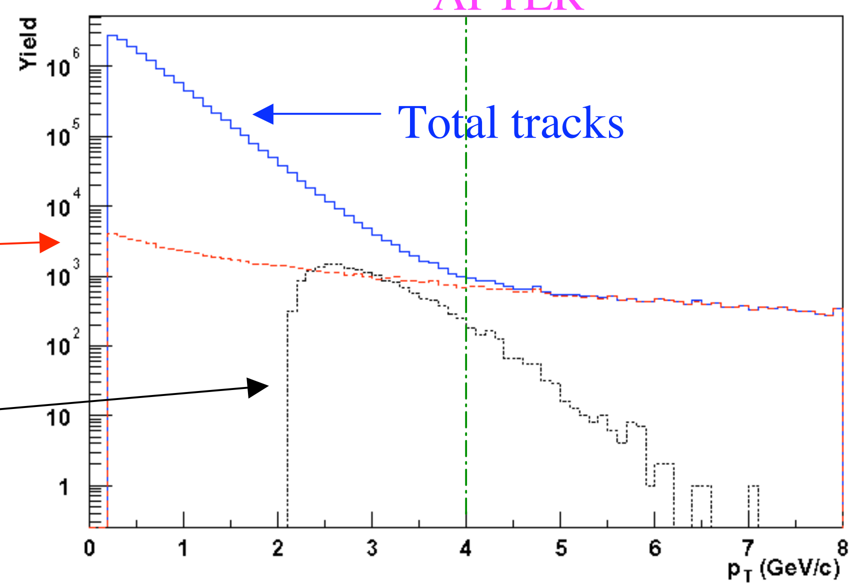
To mock up jet suppression, S_{prob} is scaled by the experimentally measured value of the nuclear modification factor, R_{AA}, as a function of centrality.

How Jets are Inserted

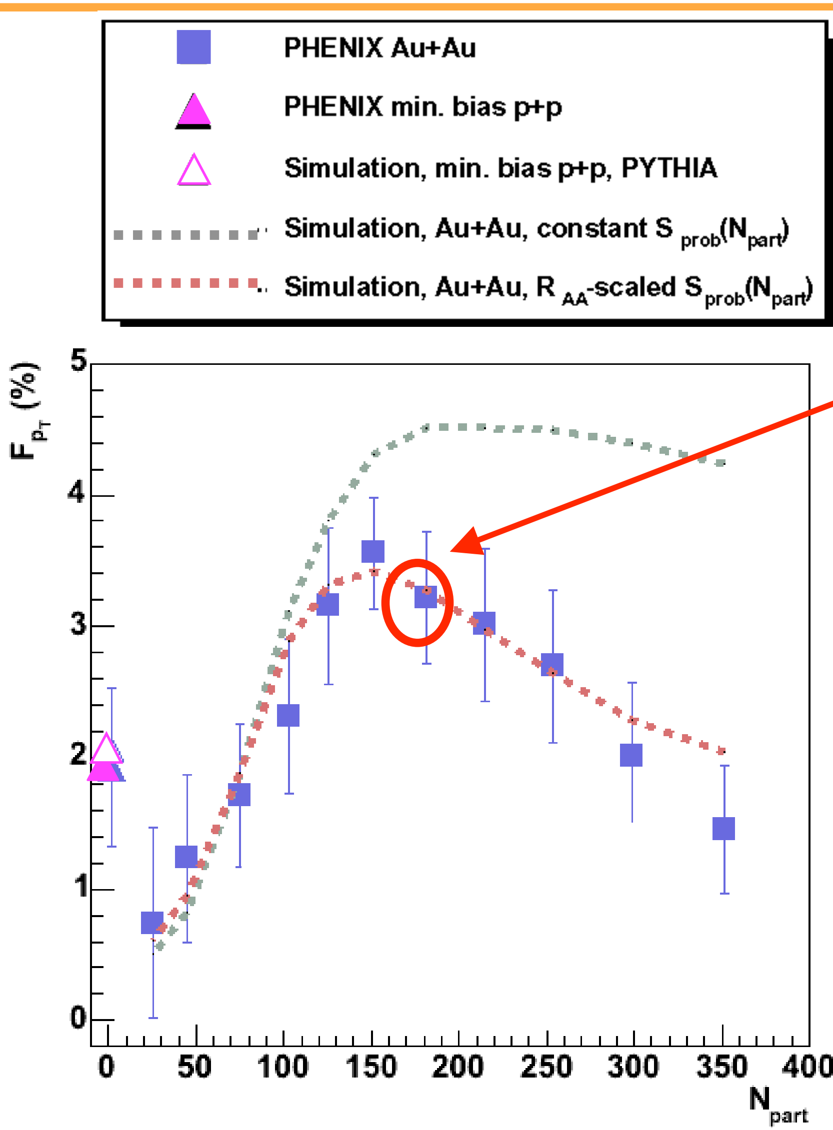
BEFORE



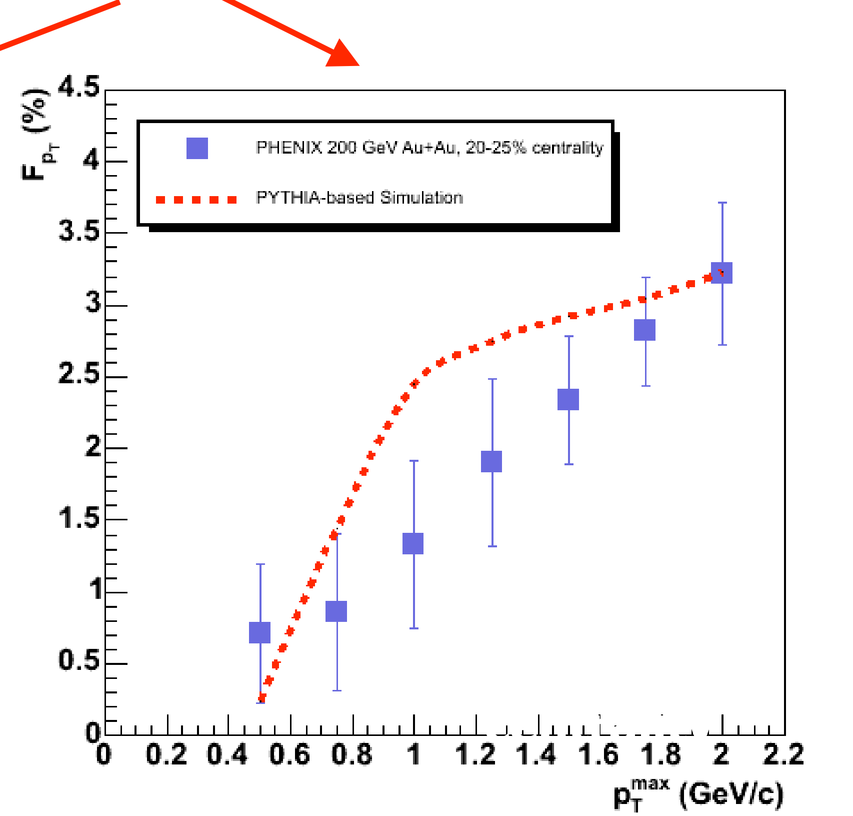
AFTER



III-Jet Simulation Results
PHENIX at s_{NN} = 200 GeV



The S_{prob} x R_{AA} parameter is initially adjusted so that F_{pT} from the simulation matches F_{pT} from the data for 20-25% centrality.



IV-Estimate of the Magnitude of Event-by-Event Temperature Fluctuations

$$\frac{\sigma_T}{<T>} = \sqrt{\frac{2F_{p_T}}{(p=0.8)\cdot(<n>-1)}}$$

R. Korus and S. Mrowczynski,

Phys. Rev. C64 (2001) 054908.

Measurement	$\sqrt{s_{NN}}$	σ_T/<T> Most central	σ_T/<T>, At the peak Fp_T
PHENIX	200	1.8%	3.7%
STAR	130	1.7%	3.8%
CERES	17	1.3%	2.2%
NA49	17	0.6%	2.6%

See Jeff Mitchell's talk for more detailed comparisons of Expt's

Conclusions

- PHENIX event-by-event Mp_T data at s_{NN}=200 GeV show a significant positive non-random fluctuation---with striking variation with centrality and maximum p_T of tracks included.
- The increase of F_{pT} with increasing p_T implies that the majority of the fluctuation is due to correlated high p_T particles.
- A hybrid simulation using PYTHIA events to simulate hard-scattering products can well reproduce the PHENIX fluctuation data at s_{NN}=200 GeV when the measured jet suppression is included.
- Even if the entire fluctuation were due to event-by-event temperature fluctuations, these are less than 2 % for central collisions at both RHIC and CERN energies.
- Where are the critical-fluctuations that were expected ?